$\qquad$ Period $\qquad$ Date $\qquad$

## Activity Guide - Binary Practice

## Directions

Using your Flippy Do or the binary odometer widget fill in the following charts and answer the following questions.

## All 4-bit numbers

It's useful and handy to have a sense of the sixteen 4-bit numbers. Fill in all of the 4-bit numbers in the table below along with their decimal equivalents, in order. We've started the first three for you.

| Binary: 4-bit number | Decimal |
| :---: | :---: |
| 0000 | 0 |
| 0001 | 1 |
| 0010 | 2 |
|  |  |
|  |  |
|  |  |
|  |  |
|  |  |


| Binary: 4-bit number | Decimal |
| :--- | :--- |
|  |  |
|  |  |
|  |  |
|  |  |
|  |  |
|  |  |
|  |  |

## 8-bit numbers with exactly one 1

The table below contains every 8 -bit number that has exactly one 1 in it. Write down the decimal equivalent next to each one. Do you notice a pattern?

| Binary: 8-bit number <br> (with exactly one 1) | Decimal |
| :---: | :---: |
| 00000001 | 1 |
| 00000010 | 2 |
| 00000100 |  |
| 00001000 |  |


| Binary: 8-bit number <br> (with exactly one 1) | Decimal |
| :---: | :---: |
| 00010000 |  |
| 00100000 |  |
| 01000000 |  |
| 10000000 |  |

## Conversion Practice!

Using your own binary skills (aided by the flippy do or binary odometer) fill in the decimal and binary equivalents below.

What's the Decimal Number?

| Binary | Decimal |
| :---: | :---: |
| 100 |  |
| 101 |  |
| 1101 |  |
| 00011111 |  |
| 00100000 |  |
| 10101010 |  |
| 11111111 |  |
|  |  |

NOTE: a short binary number like 101 is assumed to have leading 0s for all the other bits, like: 00000101. Typically large binary numbers are grouped in 4-bit chunks to improve readability, for example: $\underline{0110} \underline{0101} \underline{1010}$

What's the Binary Number?

| Binary | Decimal |
| :---: | :---: |
|  | 5 |
|  | 17 |
|  | 63 |
|  | 64 |
|  | $256 *$ |
|  | $513 *$ |
|  |  |

*NOTE: 256 and 513 exceed the capacity of the flippy-do but you can work it logically following what you know about patterns with binary numbers.

## Questions:

1. There is a simple pattern for determining if a binary number is odd. What is it and why does this pattern occur?
2. How many bits would you need if you wanted to have the ability to count up to 1000 ?
3. How high could you count in binary if you used all 10 of your fingers as bits? (finger up means 1 , finger down means 0 )
